

## COURSE OUTLINE

### (1) GENERAL

<b>SCHOOL</b>	BUSINESS		
<b>ACADEMIC UNIT</b>	DEPARTMENT OF FINANCIAL AND MANAGEMENT ENGINEERING		
<b>LEVEL OF STUDIES</b>	UNDERGRADUATE		
<b>COURSE CODE</b>	OI0115	<b>SEMESTER</b>	10
<b>COURSE TITLE</b>	FINANCIAL SCENARIOS SIMULATION		
<b>INDEPENDENT TEACHING ACTIVITIES</b> <i>if credits are awarded for separate components of the course, e.g. lectures, laboratory exercises, etc. If the credits are awarded for the whole of the course, give the weekly teaching hours and the total credits</i>	<b>WEEKLY TEACHING HOURS</b>	<b>CREDITS</b>	
	3	5	
<i>Add rows if necessary. The organisation of teaching and the teaching methods used are described in detail at (d).</i>			
<b>COURSE TYPE</b> <i>general background, special background, specialised general knowledge, skills development</i>	SPECIAL BACKGROUND/SPECIALISED GENERAL KNOWLEDGE/ SKILLS DEVELOPMENT		
<b>PREREQUISITE COURSES:</b>	<ul style="list-style-type: none"> <li>• DERIVATIVES AND NEW FINANCIAL PRODUCTS</li> <li>• FINANCIAL SCENARIOS SIMULATION</li> <li>• STOCHASTIC MODELS</li> </ul>		
<b>LANGUAGE OF INSTRUCTION and EXAMINATIONS:</b>	GREEK		
<b>IS THE COURSE OFFERED TO ERASMUS STUDENTS</b>	YES		
<b>COURSE WEBSITE (URL)</b>	<a href="http://www.fme.aegean.gr/el/c/prosomoiose-khrematooikononikon-senarion">http://www.fme.aegean.gr/el/c/prosomoiose-khrematooikononikon-senarion</a>		

### (2) LEARNING OUTCOMES

<p><b>Learning outcomes</b></p> <p><i>The course learning outcomes, specific knowledge, skills and competences of an appropriate level, which the students will acquire with the successful completion of the course are described.</i></p> <p><i>Consult Appendix A</i></p> <ul style="list-style-type: none"> <li>• <i>Description of the level of learning outcomes for each qualifications cycle, according to the Qualifications Framework of the European Higher Education Area</i></li> <li>• <i>Descriptors for Levels 6, 7 &amp; 8 of the European Qualifications Framework for Lifelong Learning and Appendix B</i></li> <li>• <i>Guidelines for writing Learning Outcomes</i></li> </ul>
<p>This course is the first well-structured effort to solve vital financial problems based on algorithmic methods. The algorithmic techniques presented here, find a wide range of applications in every aspect of modern finance, with particular emphasis in the modeling of randomness, in the valuation of financial derivative products and risk management. The course is addressed to the undergraduate students of the Financial Engineering Track and focuses on the basic algorithmic techniques used in the simulation of various financial scenarios. More specifically, the Monte Carlo family of simulation methods are applied to a wide range of financial related problems (with particular emphasis in (a) the simulation of various important stochastic processes (random walk, scaled random walk, Brownian motion, Geometric Brownian motion), (b) the valuation of financial derivatives (options - both vanilla and exotic), and (c) portfolio</p>

risk quantification (estimation Value at Risk). Finally, alternative pricing methods (such as binomial trees, trinomial trees) are presented keeping in line with the classical model of Fisher Black and Myron Scholes. Upon the successful completion of the course, students will be able to:

- easily generate pseudo-random numbers from any continuous distribution, with emphasis on uniform and normal distributions.
- simulate basic important stochastic processes that appear naturally in Finance (random walk, Brownian motion, Geometric Brownian motion) and also to have a deep understanding of their statistical structure.
- simulate a required number of paths for the above stochastic processes.
- have a deep understanding of the main idea behind the tree methods for pricing options (binomial and trinomial tree).
- write code (in R) for the pricing of European options with tree methods.
- have understood the limiting relationship between the binomial option pricing model and the Black-Scholes model and also to be able to write code (in R) that implements the Black-Scholes pricing model.
- apply Monte-Carlo simulation methods to a wide range of financial problems with emphasis in option valuation (European and mainly Exotic options).
- know the basic variance reduction techniques for the Monte-Carlo method (antithetic variates, control variates).
- know how to simulate the basic stochastic processes that describe the evolution of the volatility of stock prices (stochastic variability models; Heston model, Hull-White model).
- apply Monte Carlo option pricing techniques under stochastic volatility models.
- access the risk of a portfolio (value-at-risk method).

**General Competences**

*Taking into consideration the general competences that the degree-holder must acquire (as these appear in the Diploma Supplement and appear below), at which of the following does the course aim?*

*Search for, analysis and synthesis of data and information, with the use of the necessary technology*  
*Adapting to new situations*  
*Decision-making*  
*Working independently*  
*Team work*  
*Working in an international environment*  
*Working in an interdisciplinary environment*  
*Production of new research ideas*

*Project planning and management*  
*Respect for difference and multiculturalism*  
*Respect for the natural environment*  
*Showing social, professional and ethical responsibility and sensitivity to gender issues*  
*Criticism and self-criticism*  
*Production of free, creative and inductive thinking*  
 .....  
*Others...*  
 .....

- Search for, analysis and synthesis of data and information, with the use of the necessary technology
- Adapting to new situations
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**(3) SYLLABUS**

Stochastic processes in finance: The need for simulation. Generating pseudo - random numbers from uniform and normal distributions. A basic model for the evolution of stock prices: the random walk model. From random walk to Brownian motion. From Brownian



## (5) ATTACHED BIBLIOGRAPHY

- *Suggested bibliography:*

- Brandimarte, P., Numerical Methods in Finance. A MATLAB Based Introduction, Wiley, 2002.
- Glasserman, P., Monte Carlo Methods in Financial Engineering, Springer-Verlag, 2003.
- Higham, D., An Introduction to Financial Option Valuation, Cambridge, 2005.
- L. Clewlow, C. Strickland. Implementing Derivatives Models (1998). Wiley.
- Hull, J., Options, Futures and other derivatives, Prentice Hall, 2014.
- Neftci, S., Introduction to the Mathematics of financial derivatives, Academic Press, 2000.

- *Related academic journals:*

- Journal of Financial Economics.
- The Review of Financial Studies.